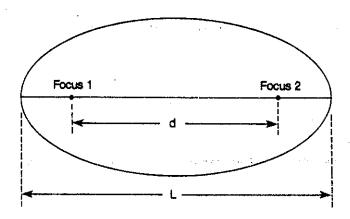
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TOPIC IV: Earth's Motions

LAB 4-3: ELLIPSES

INTRODUCTION: The earth revolves around the sun in an orbit which is a special geometric figure called an ellipse. An ellipse has two "center points". Each one is called a focus. The sun is not in the exact middle of the earth's orbit. Rather, it is found at one of the focal points.

OBJECTIVE: You will be able to compare the shape of the earth's orbit and orbits of other planets with the shape of a circle.



VOCABULARY

ellipse:

eccentricity:

focus (plural is foci):

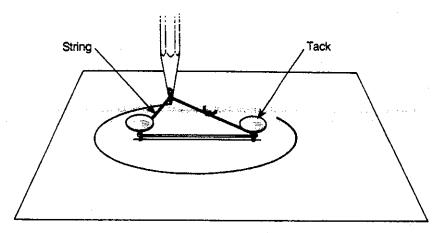
major axis:

circle:

PROCEDURE:

- 1. Cut a piece of string about 22 cm in length and tie the ends together to form a loop.
- 2. On plain white paper draw a straight line lengthwise down the middle of the paper.
- 3. Near the center of this line, draw two dots 3 cm apart.
- 4. Placing the paper on a piece of cardboard, put a thumbtack in each dot (focus).

5. Loop the string around the thumbtacks and draw the ellipse by placing your pencil inside the loop as shown below.



- 6. Label this ellipse #1.
- 7. Measure the distance between the thumbtack holes (foci). This is "d". Record this on your Report Sheet.
- 8. Measure the length of the major axis (L) and record this on the Report Sheet.
 - 9. Move each tack out 1 cm and draw a new ellipse. Label it #2 and measure and record d and L.
- 10. Move each tack out another 1 cm and draw a new ellipse. Label it #3 and measure and record d and L.
- 11. Move each tack out another 1 cm and draw another ellipse. Label it #4 and measure and record d and L.
- 12. Place a dot in the exact middle of the first two foci. Using a drawing compass with a red pencil, construct a circle. Place the point of the compass in the center dot. Extend the compass along the major axis so the pencil touches ellipse #1. This will be the radius of the circle you are to draw.
- 13. Using the given equation, calculate the eccentricity (e) of each of the five figures. Show all work on your Report Sheet.

$$\mathsf{e} = \frac{\mathsf{d}}{\mathsf{L}}$$

ECCENTRICITIES OF THE PLANETS

<u>PLANET</u>	ECCENTRICITY
Mercury	0.206
Venus	0.007
Earth	0.017
Mars	0.093
Jupiter	0.048
Saturn	0.056
Uranus	0.047
Neptune	0.008
Pluto	0.247

REPORT SHEET

Ellipse #1	Calculations
d =	
L =	
e =	
	・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・・
Ellipse #2	Calculations
d =	· · · · · · · · · · · · · · · · · · ·
L =	
e =	·
Ellipse #3	Calculations
d =	<u> </u>
L =	
e =	·
	The state of the s
	•
Ellipse #4	Calculations
d =	_
L =	
e ==	·
Ellipse #5 (circle)	
Empse #5 (circle)	Calculations
d =	·
L =	<u> </u>
e =	<u>_</u>

DISCUSSION QUESTIONS:	(Answer in Complete Sentences)
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- 1. What change takes place in the eccentricity of the ellipses when you increase the distance between the foci?
- 2. Which of the four ellipses you drew (not counting the circle) was the most eccentric?
- 3. Which of the four ellipses you drew (not counting the circle) was the least eccentric?
- 4. What is the minimum eccentricity an ellipse can have?
- 5. What is the name of the geometric figure which has the minimum eccentricity?
- 6. How does the numerical value of "e" change as the shape of the ellipse approaches a straight line?
- 7. Where is the sun located on a diagram of the earth's orbit?
- 8. What was the eccentricity you calculated for Ellipse #1?
- 9. Which is rounder (less eccentric), the orbit of Earth or your Ellipse #1?
- 10. In the table, *Eccentricities of the Planets*, the planets are listed in order by their distance from the sun. Is there a direct relationship between the eccentricity of its orbit and the distance a planet is from the sun?
- 11. List the planets in order of the increasing eccentricity of their orbits.

CONCLUSION: Describe the true shape of the earth's orbit?